

# PRESSURE



The amount of force exerted per unit area

$$P = \frac{F}{A} \quad P = \rho \times h \times g$$

The higher you go up the barometer, the lower the pressure until it reaches zero here at vacuum

## BAROMETER

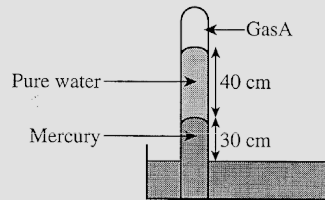
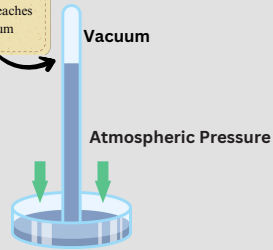


DIAGRAM 1

Given that the atmospheric pressure is 76 cmHg, calculate the pressure of the gas A in the diagram 1.

Solution: Think of a push-of-war game. Atmospheric pressure is pushing (downwards) against Gas A + pressure of pure water column + pressure of mercury column.

$$\text{Atmospheric Pressure} = h\rho g (\text{water}) + h\rho g (\text{mercury}) + \text{Pressure of gas A}$$

$$76\text{cm Hg} = 0.4(1000)(10) + 0.3(13600)(10) + \text{Pressure of gas A}$$

$$(0.76)(13600)(10) = 0.4(1000)(10) + 0.3(13600)(10) + \text{Pressure of gas A}$$

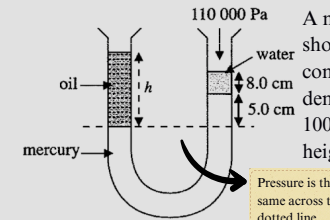
$$\text{Pressure of gas A} = 22,560 \text{ Pa}$$

**FUN FACT**



The lower stream spurts further since the **pressure** at these holes given by  $h\rho g$  is higher when we descend lower. If we needed to patch the hole up, it will be wise to calculate the force at the holes using **pressure** x area of hole = force. Just make sure the tape used can withstand this force before safely sealing the holes.

## MANOMETER



A manometer is filled with mercury, water and oil as shown below. Given that the right side of the tube is connected to an air pressure of 110,000 Pa and the density of mercury, water and oil are 13,600 kg/m<sup>3</sup>, 1000 kg/m<sup>3</sup> and 800 kg/m<sup>3</sup> respectively, calculate the height h. (atmospheric pressure = 100,000 Pa)

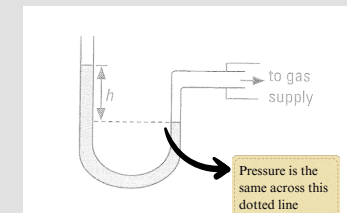
Pressure is the same across this dotted line

Solution: Think of a push-of-war game. Oil column is pushing (downwards) against water column + mercury column. Since atmospheric pressure acts on both the ends of test tube, they cancel out in the equation below.

$$\text{Atmospheric Pressure} + h\rho g (\text{Oil}) = \text{Atmospheric Pressure} + h\rho g (\text{water}) + h\rho g (\text{mercury})$$

$$h(800)(10) = 0.08(1000)(10) + 0.05(13600)(10)$$

$$h = 2.20\text{m}$$

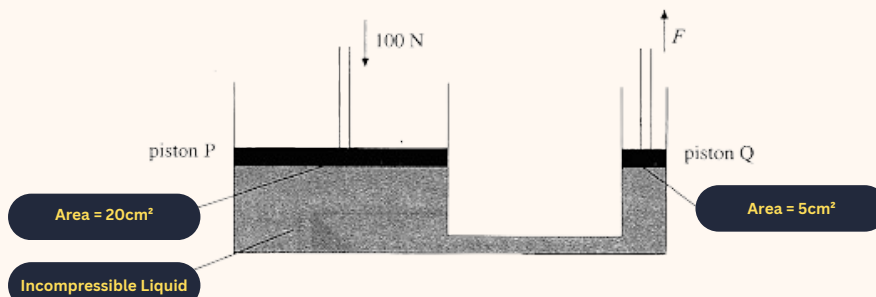


Pressure is the same across this dotted line

Since gas supply is sealed, there is no atmospheric pressure here. Imagine the same push-of-war between atmospheric pressure and liquid column h against gas supply.

$$\text{Atmospheric Pressure} + h\rho g (\text{liquid}) = \text{Pressure of gas}$$

## HYDRAULIC PRESS



In an incompressible liquid, pressure is same throughout the liquid.

$$\text{Area P} = 20\text{cm}^2 = (20/100^2)\text{m}^2 = 0.002\text{m}^2$$

$$\text{Area Q} = 5\text{cm}^2 = (5/100^2)\text{m}^2 = 0.0005\text{m}^2$$

$$\text{Pressure at P} = \text{Pressure at Q}$$

$$100\text{N} / 0.002 = F / 0.0005$$

$$F = 25\text{N}$$

$$V = \pi r^2 h$$

In an incompressible liquid, volume displaced at P = Volume displaced at Q. If Piston P moves down by 10cm, what is the distance Piston Q move up by?

$$\text{Volume displaced at P} = 0.002\text{m}^2 \times 0.1\text{m} = \text{Volume displaced at Q}$$

$$0.002\text{m}^2 \times 0.1\text{m} = 0.0005\text{m}^2 \times \text{height which Piston Q moves up}$$

$$\text{Height} = 0.4\text{m}$$

