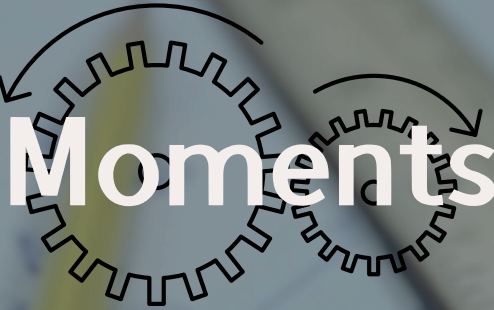
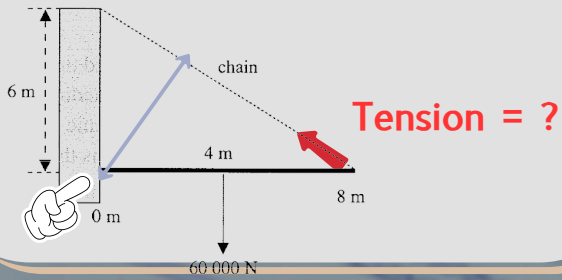




### SOLVING OBLIQUE FORCES IN EQUILIBRIUM

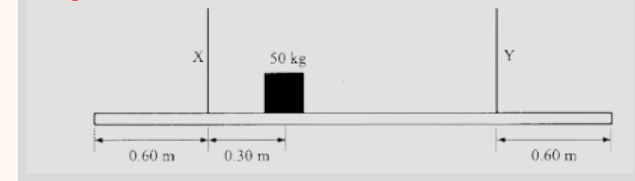


The moment of a force acting on an object is defined as the **product of force and the perpendicular distance from a given point of reference.**

*"In equilibrium, the sum of Clockwise moments is equal to the sum of Anti-Clockwise moments about the same pivot".*

- Define a favourable pivot point.
- Clockwise moment cause by weight of beam (4m x 60,000N)
- Anti-Clockwise moment by tension (**Tension** x **Perpendicular Distance**)
- To find **Perpendicular Distance**, first find the angle between beam and chain. ( $\tan^{-1} 6/8 = 36.8^\circ$ )
- Use TOA - CAH - SOH to find **Perpendicular Distance** ( $8\sin 36.8^\circ = 4.81\text{m}$ )
- Equate Anti-Clockwise moment = Clockwise moment to find **Tension**

### TOP SECRET DOUBLE PIVOT STRATEGY



Distance XY is 2.4m

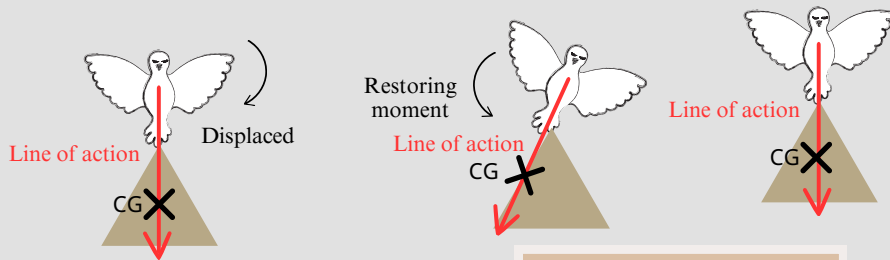
*"In equilibrium, the sum of net moments is zero".*

- Define a favourable pivot point (X) to find **Tension at (Y)**.
- Clockwise moment cause by weight of box (0.3m x 500N)
- Anti-Clockwise moment by **Tension Y** (2.1m x **Tension Y**)
- Equate Anti-Clockwise moment = Clockwise moment to find **Tension Y**.

*"In equilibrium, the sum of net force is zero".*

- Total sum of Upward forces = Total sum of Downward forces
- To find **Tension X**, equate:
- **Tension X** + **Tension Y** = Weight of Box (500N)

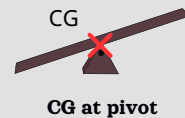
### Restoring moment - Stable Equilibrium



The Center of Gravity of the bird lies below the pivot point. This is a stable equilibrium.

When the bird is displaced clockwise, there is a perpendicular distance from the Center of Gravity of the bird to the pivot point. There is a net anti-clockwise moment to restore the bird back to its original position.

### Neutral Equilibrium



### Unstable Equilibrium



### Key to higher stability

